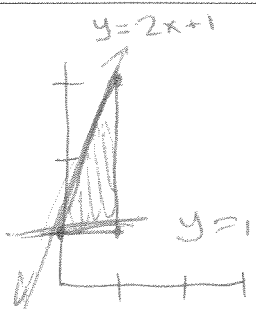


<p>GROUP NAME:</p> <p>Logo: <u>Dougmakers</u></p>	<p>Student Names (First and Last)</p> <p>Speaker/Presenter: <u>Bayl's</u></p>
<p>Date: _____</p> <p>Topics:</p>	<p>Writer/Prep: <u>Ala-a</u></p> <p>QC/Leader: <u>PAT</u></p>

Instructions: #1 Test #3



Setup for integral for function
 $y + 2x + 100$ $(0, 1) (1, 1) (1, 3)$

$$V = \int_0^1 \int_1^{2x+1} \int_0^{y+2x+100} 1 \, dz \, dy \, dx$$

GROUP NAME:	Student Names (First and Last)
Logo: <u>iDerive</u>	Speaker/Presenter: <u>Mike M</u>
Date: <u>5/8/13</u>	Writer/Prep: <u>Joanna P</u>
Topics:	QC/Leader: <u>Kate M.</u>

Instructions: <u>Test 3 # 2</u>	Setup the integral to find the surface area of the function $f(x,y) = y + 2x + 100$ above the rectangular region b/w points $(0,1)$ $(1,1)$ $(1,3)$
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$$S = \iint_A \sqrt{1 + \left(\frac{\partial z}{\partial x}\right)^2 + \left(\frac{\partial z}{\partial y}\right)^2} dA$$

$$S = \iint_A \sqrt{2^2 + 1^2 + 1} dA$$

$$z = y + 2x + 100$$

$$\frac{\partial z}{\partial x} = 2$$

$$\frac{\partial z}{\partial y} = 1$$

Answer $\int_0^1 \int_1^3 \sqrt{6} dy dx$


<p>GROUP NAME:</p> <p>Logo:</p>	<p>Student Names (First and Last)</p> <p>Speaker/Presenter: <u>William Carter</u></p>
<p>Date: _____</p> <p>Topics:</p>	<p>Writer/Prep: <u>ZAHIN FARZANA</u></p> <p>QC/Leader: _____</p>

Instructions: *Final Exam (Set #3)*

③

$$D = \frac{M}{V}$$

$$M = \int_{x=0}^1 \int_{y=0}^{3-x} \int_{z=0}^{4+2x+100} 2xy \, dz \, dy \, dx$$

GROUP NAME: <i>Mechanical Engineers</i>	Student Names (First and Last)
Logo: 	Speaker/Presenter: <u><i>Suraj Perangada</i></u>
Date: <u><i>8/5/2013</i></u>	Writer/Prep: <u><i>Mik Chiovani</i></u>
Topics: <u><i>#4, Test 3</i></u>	QC/Leader: <u><i>Rezo Changanqui</i></u>

Instructions: (4) Cruise the integrals to find the center of gravity for the region under the function $f(x,y) = y + 2x + 100$ and above the rectangular region between the points $(0,1)$ $(1,1)$ $(1,3)$, when the density is $2xy$

$$M_{xy} = \int_0^1 \int_1^{2x+1} \int_0^{y+2x+100} 2xy^2 \, dy \, dx$$

$$\bar{z} = \frac{M_{xy}}{M}$$

$$M_{yz} = \int_0^1 \int_1^{2x+1} \int_0^{y+2x+100} 2x^2 y \, dy \, dx$$

$$\bar{x} = \frac{M_{yz}}{M}$$

$$M_{zx} = \int_0^1 \int_1^{2x+1} \int_0^{y+2x+100} 2xy^2 \, dy \, dx$$

$$\bar{y} = \frac{M_{zx}}{M}$$

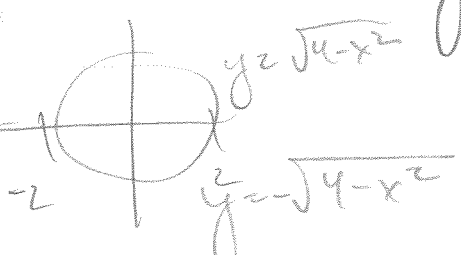
<p>GROUP NAME: <u>Engineers</u></p> <p>Logo: <u>X</u></p>	<p>Student Names (First and Last)</p> <p>Speaker/Presenter: <u>Kyler</u></p>
<p>Date: _____</p> <p>Topics: <u>Test 3</u></p>	<p>Writer/Prep: <u>Aron</u></p> <p>QC/Leader: <u>Chloe</u></p>

Instructions: Set up integral

5)

$f(x,y) = y + 2x + 100$

circle $r = 2$



$y = \sqrt{4-x^2}$

$y = -\sqrt{4-x^2}$

$x = -2$ to $x = 2$

$$\int_{-2}^2 \int_{-\sqrt{4-x^2}}^{\sqrt{4-x^2}} (y + 2x + 100) dy dx$$

<p>GROUP NAME: <u>The Dayz Makers</u></p> <p>Logo:</p>	<p>Student Names (First and Last)</p> <p>Speaker/Presenter: <u>Patricia</u></p>
<p>Date: _____</p> <p>Topics:</p>	<p>Writer/Prep: <u>Alana</u></p> <p>QC/Leader: <u>Kagels</u></p>

Instructions: Test 3 #6

Find the volume for the region under the function $f(x,y) = y + 2x + 100$ and above the circular region of radius 2 and centered at the origin using polar coordinates.

$$\begin{aligned} x &= r \cos \theta \\ y &= r \sin \theta \end{aligned}$$

$$\int_0^2 \int_0^{2\pi} r (r \sin \theta + 2r \cos \theta + 100) d\theta dr$$

$$\int_0^2 \int_0^{2\pi} 2r \sin \theta + 4r \cos \theta + 100r d\theta dr$$

$$\int_0^2 \left[-2r \cos \theta + 4r \sin \theta + 100r \theta \Big|_0^{2\pi} \right] dr$$

$$\int_0^2 -2r + 200\pi r - (-2r) dr$$

$$\int_0^2 200\pi r dr$$

$$100\pi r^2 \Big|_0^2 = \boxed{400\pi}$$

GROUP NAME:	Student Names (First and Last)
Logo:	Speaker/Presenter: <u>Isaiah Hall</u>
Date: <u>5/8/13</u>	Writer/Prep: <u>Eric</u>
Topics: <u>#7</u>	QC/Leader: _____

Instructions: evaluate the integral below by first using change of variables, finding the Jacobian and then solving

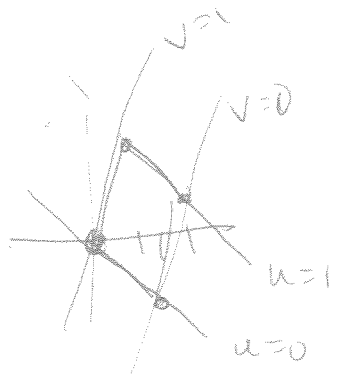
$\iint_R (3x - 2y) dA$ when $x = u + 2v$ & $y = 3u - 2v$
 and the region is b/w the pts $(0,0), (3,1), (2,2), (1,3)$.

$$\frac{\partial x}{\partial u} = 1 \quad \frac{\partial x}{\partial v} = 2$$

$$\frac{\partial y}{\partial u} = 3 \quad \frac{\partial y}{\partial v} = -2$$

$$J = \begin{vmatrix} 1 & 2 \\ 3 & -2 \end{vmatrix} = -2 - 6 = -8$$

$$\left| \frac{\partial x}{\partial u} \quad \frac{\partial y}{\partial u} \right|$$



$$\iint_R (3x - 2y) dA$$

$$= \int_0^4 \int_{-8}^0 (3u + 6v) - 2(3u - 2v) du dv$$

$$= \int_0^4 \int_{-8}^0 (3u + 6v - 6u + 4v) du dv$$

$$= \int_0^4 \int_{-8}^0 (-3u + 10v) du dv$$

$$= \int_0^4 \left[-\frac{3}{2}u^2 + 10uv \right]_{-8}^0 dv$$

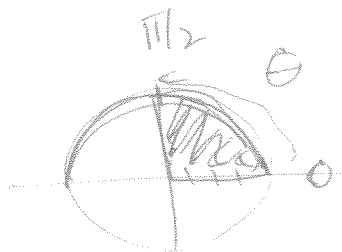
$$= \int_0^4 \dots dv = 28$$

<p>GROUP NAME: <u>comp sci</u></p> <p>Logo:</p>	<p>Student Names (First and Last)</p> <p>Speaker/Presenter: <u>Konah Hall</u></p>
<p>Date: <u>5/8/13</u></p> <p>Topics:</p>	<p>Writer/Prep:</p> <p>QC/Leader: <u>Eric Zhong</u></p>

Instructions: 8) test ~~3~~ 3

$$\int_0^4 \int_0^{\sqrt{16-x^2}} \int_{-\sqrt{16-x^2-y^2}}^{\sqrt{16-x^2-y^2}} (x^2+y^2+z^2) dV$$

$$\int_0^4 \int_0^{\frac{\pi}{2}} \int_0^{\pi} \rho^4 \sin \phi d\phi d\theta d\rho$$



<p>GROUP NAME: <u>ENGINEERS</u></p> <p>Logo: <u>X</u></p>	<p>Student Names (First and Last)</p> <p>Speaker/Presenter: <u>Arhan R</u></p>
<p>Date: _____</p> <p>Topics: <u>Im hungry</u></p>	<p>Writer/Prep: <u>Kyle G</u></p> <p>QC/Leader: <u>Charlie N</u></p>

Instructions: Evaluate the inner two integrals

$$\int_0^1 \int_0^x \int_0^{x+2} \int_0^{y+x} \cos(w) dw dz dy dx \quad \#9$$

$$\int_0^1 \int_0^x \int_0^{x+2} \sin(y+x) - 1 dz dy dx$$

$$\int_0^1 \int_0^x \sin(y+x)z - z \Big|_0^{x+2} dy dx$$

$$\int_0^1 \int_0^x (\sin(y+x) - 1)(x+2) dy dx$$

<p>GROUP NAME: <u>Derive</u></p> <p>Logo:</p>	<p>Student Names (First and Last)</p> <p>Speaker/Presenter: <u>Michael M</u></p>
<p>Date: <u>5-8-13</u></p> <p>Topics:</p>	<p>Writer/Prep: <u>Kate M.</u></p> <p>QC/Leader: <u>Joanna P.</u></p>

Instructions: # 10

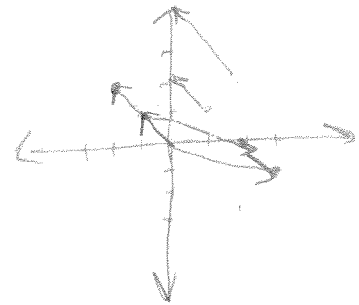
$$F(x, y) = xy - x^2$$

$$F(1, 1) = \langle -1, 1 \rangle$$

$$F(x, y) = \langle y - 2x, x \rangle$$

$$F(2, 2) = \langle -2, 2 \rangle$$

$$F(-1, 1) = \langle 3, -1 \rangle$$



$$\int_c F(x, y) \cdot ds$$

$$x = 4 \cos t$$

$$0 \leq t \leq \pi$$

$$x' = -4 \sin t$$

$$y = 4 \sin t - 4$$

$$y' = 4 \cos t$$

$$\int_0^\pi \langle 4 \sin t - 4 - 8 \cos t, 4 \cos t \rangle \cdot \langle -4 \sin t, 4 \cos t \rangle dt$$

$$= \int_0^\pi -16 \sin^2 t + 16 \sin t + 32 \sin t \cos t + 16 \cos^2 t dt = 54.3$$

$$f(-2, 0) - f(0, 0)$$

$$-4 - 0 = \underline{-4}$$

<p>GROUP NAME: <u>Engees</u></p> <p>Logo:</p>	<p>Student Names (First and Last)</p> <p>Speaker/Presenter: _____</p>
<p>Date: <u>5/8/13</u></p> <p>Topics:</p>	<p>Writer/Prep: <u>Felipe</u></p> <p>QC/Leader: <u>Brendan</u></p>

Instructions: Test #3, #11

line integral of

$F(x,y) = x - y^2$ over semicircle from $(-1,0)$ to $(1,0)$



$$\int_C F(x,y) ds \quad ds = \sqrt{(x'(t))^2 + (y'(t))^2}$$

$$x = \cos t$$

$$y = \sin t$$

$$\pi \leq t \leq 2\pi$$

$$x = \cos t \quad x'(t) = -\sin t$$

$$y = \sin t \quad y'(t) = \cos t$$

$$ds = \sqrt{\sin^2 t - \sin^2(2t)}$$

$$v' = -\sin t$$

$$y' = \cos t$$

$$\int_C x - y^2 ds = \int_0^{2\pi} \cos t - \sin^2 t \sqrt{\sin^2 t - \sin^2(2t)} dt$$

$$= -1.74521$$

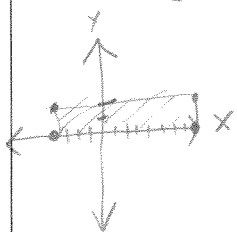
$$\int_{\pi}^{2\pi} (\cos t) - (\sin^2 t) \sqrt{x^2 + y'^2} dt$$

$$= \#$$

<p>GROUP NAME: <u>Engcees</u></p> <p>Logo:</p>	<p>Student Names (First and Last)</p> <p>Speaker/Presenter: _____</p>
<p>Date: <u>5/8/13</u></p> <p>Topics: <u>Green's Theorem</u></p>	<p>Writer/Prep: <u>Brendan</u></p> <p>QC/Leader: <u>Felipe</u></p>

Instructions: Test 3
12

12.) $\int_C \frac{(x+3y)}{M} dx + \frac{(2x-y)}{N} dy$, $(-4,0)$ to $(8,0)$ to $(8,2)$ to $(-4,2)$ to $(-4,0)$



$-4 \leq x \leq 8, 0 \leq y \leq 2$

$M_y = 3$

$N_x = 2$

$$\oint M dx + N dy = \iint_D \left(\frac{\partial N}{\partial x} - \frac{\partial M}{\partial y} \right) dA$$

$$= \int_0^2 \int_{-4}^8 (2-3) dx dy \longrightarrow -24$$

$$= \int_0^2 (-x) \Big|_{-4}^8 dy = \int_0^2 (-8) - (-4) dy$$

$$= \int_0^2 (-12) dy = (-12y) \Big|_0^2 = (-12(2)) = -24$$