

HW #13

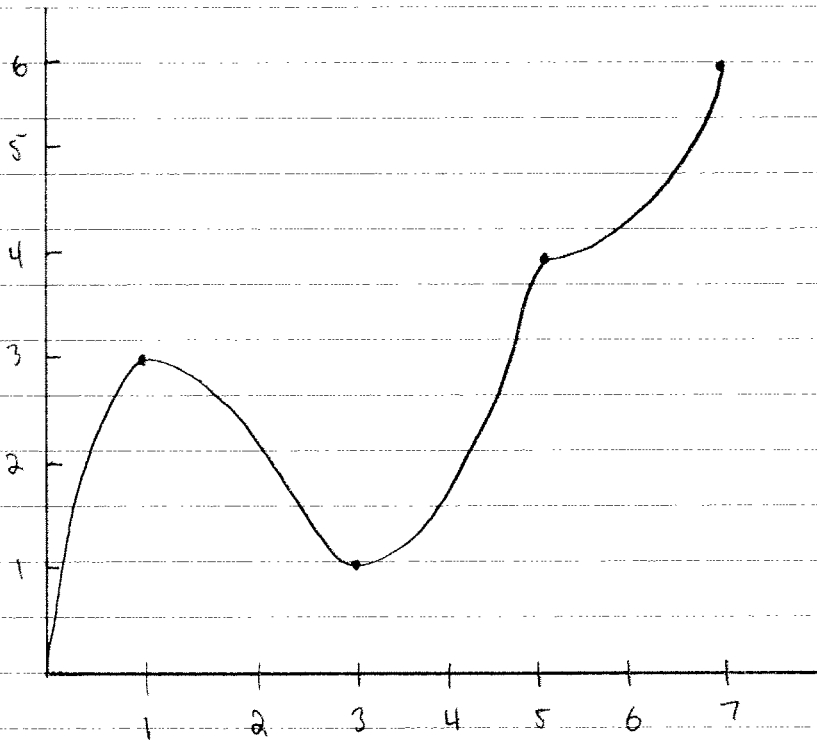
Kristian, Julisha, Melva

SAVE DA POLAR BEARS

4.3

Use the given graph of f to find the following.

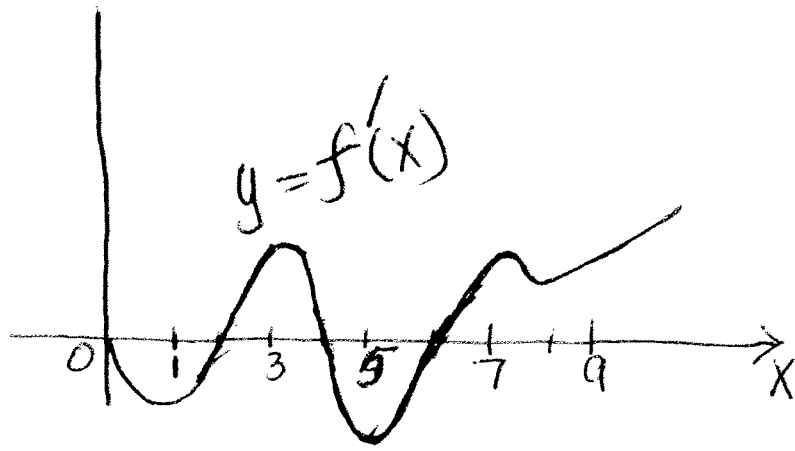
- #2. a. $(0,1)$, $(3,5)$, $(5,7)$ Intervals where f is increasing.
b. $(1,3)$ Intervals where f is decreasing.
c. $(2,5)$, $(5,7)$ Intervals on which f is concave upward.
d. $(0,2)$ Intervals on which f is concave downward.
e. $(2,7)$ Coordinates of the points of inflection.



#8

Science Buddie

$(4, 3)$



a) In which intervals increasing = $[2, 4] \cup [6, 9]$

b) local maximum = $[4]$

local minimum = $[6] \cup [2]$

c) concave Upward = $[1, 3], [5, 7], [8, 9]$

concave Downward = $[0, 1], [3, 5], [7, 8]$

d) x-coordinates of the inflection points of f ? = $1, 3, 5, 7, 8$

Section 4.3

#10

Abraham Ego
THE GROUP

10 $4x^3 + 3x^2 - 6x + 1$

$$f'(x) = 12x^2 + 6x - 6$$

$$12x^2 + 6x - 6 = 0$$

$$6(2x^2 + x - 1) = 0$$

$$(2x-1)(x+1) = 0$$

$$x = -\frac{1}{2}, 1$$

$$f''(x) = 24x + 6$$

$$24x + 6 = 0$$

$$6(4x + 1) = 0$$

$$x = -\frac{1}{4}$$

a. increasing
decreasing

c. 1
c. $-\frac{1}{2}, -\frac{1}{4}$

local maximum : -2

local minimum : .5

c. concavity : $(-\infty, -2)$ down
 $(-.5, \infty)$ up

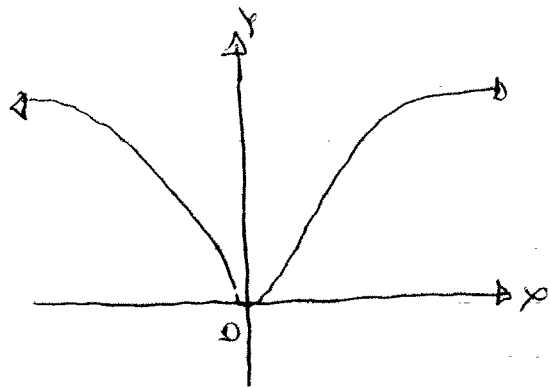
Pythagorus

4.3 12. $f(x) = \frac{x^2}{x^2+3}$

a) $f'(x) = \frac{(x^2)'(x^2+3) + x^2(x^2+3)'}{(x^2+3)^2} = \frac{2x(x^2+3) + x^2(2x)}{(x^2+3)^2}$
 $= \frac{2x(2x^2+3)}{(x^2+3)^2}$ $f'(x) = 0 \Rightarrow 2x(2x^2+3) = 0$
 $x = 0$

$f(x)$	$-\infty$	0	$+\infty$
$f'(x)$	$-$	0	$+$
$f''(x)$	\nearrow	0	\searrow

b) local min (0,0)
 local max (1.9, .55)



c) Intervals of concavity (0, $-\infty$) (0, ∞)
 down up

The inflection points = 0

MAT151... Team OC
4.3) #20.

3/28/10

20.) Find the local max. & min. values of f using both the 1st & 2nd Derivative Tests:

□ $f(x) = \frac{x}{x^2+4}$:

interval	x	x^2+4	$f'(x)$	f
$x < 0$	-	+	-	dec. $(-\infty, 0)$
$0 < x < 4$	+	+	+	inc. $(0, 4)$
$x > 4$	+	+	+	inc. $(4, \infty)$

$$f'(x) = \frac{g(x) \frac{d}{dx}(f(x)) - \frac{d}{dx}(g(x)) f(x)}{[g(x)]^2}$$

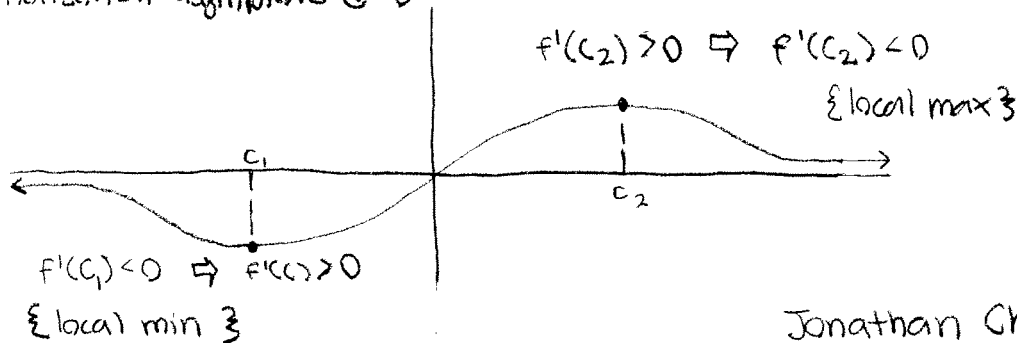
$$= \frac{(x^2+4) \frac{d}{dx}(x) - \frac{d}{dx}(x^2+4)(x)}{(x^2+4)^2}$$

$$= \frac{(x^2+4) - 2x^2}{(x^2+4)^2}$$

$$\Rightarrow f'(x) = 0$$

$$f'(0) = \frac{4}{16} = \frac{1}{4}$$

horizontal asymptote @ 0



Jonathan Chen
Mike Conkhuyang

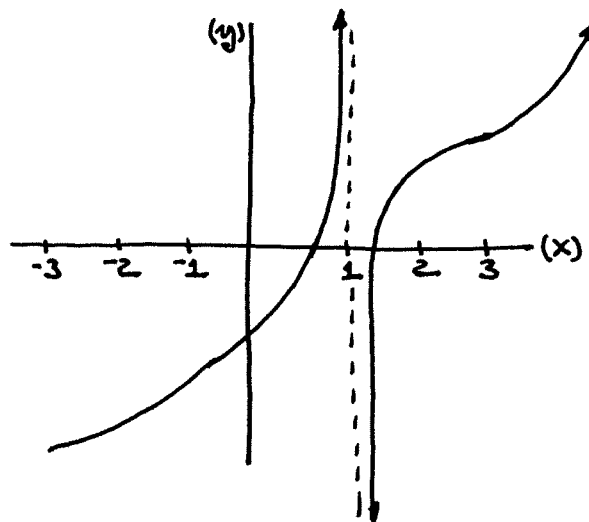
SECTION 4.3
PROB # 24

CIVARC
J. KOHLHEPP
R. D'ISALZA
S. MANCE

24. SKETCH THE GRAPH OF A FUNCTION
THAT SATISFIES ALL OF THE GIVEN CONDITIONS:

$f'(x) > \phi$ for all $x \neq 1$, VERTICAL ASYMPTOTE $x=1$,
 $f''(x) > \phi$ if $x < 1$ OR $x > 3$, $f''(x) < \phi$ if $1 < x < 3$.

GRAPH:



Section 4.3 #32

Krystina
Stephanie
Jessica

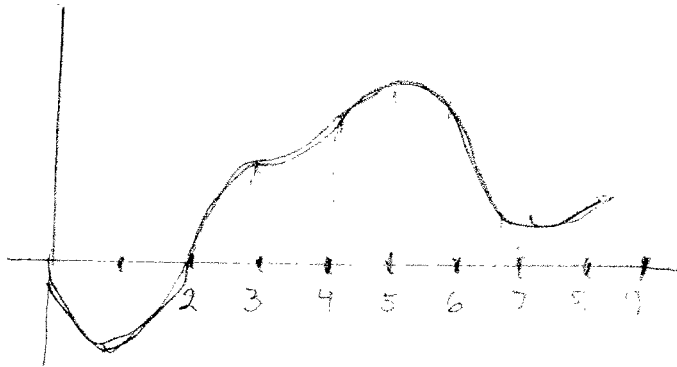
a. Increasing on $(1, 6)$ $(2, \infty)$
Decreasing on $(0, 1)$ $(6, 8)$

b. Minimum at $1, 8$
Maximum at 6

c. Concave up $(0, 2)$ $(3, 5)$ $(7, \infty)$
Concave down $(2, 3)$ $(5, 7)$

d. $2, 3, 5, 7$ inflection points

e.



Team Diesel

Connor Payne Stanley Tucher Tyler Ferst

On what intervals is f increasing or decreasing?

- a) decreasing from $x=0$ to $x=1$
increasing from $x=1$ to $x=6$
decreasing from $x=6$ to $x=7$
increasing from $x=7$ to $x=9$

At what values of x does f have a local max/min?

- b) local maximums = $x=2$, $x=5$
local minimums = $x=3$, $x=7$

On what intervals is f concave upward/downward?

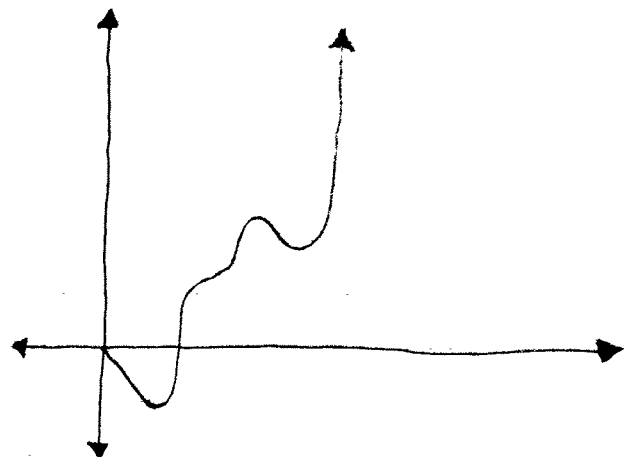
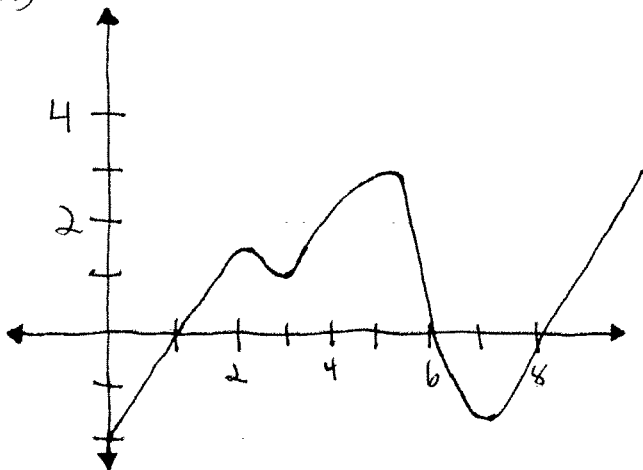
- c) upward from $x=0$ to $x=2$
downward from $x=2$ to $x=3$
upward from $x=3$ to $x=5$
downward from $x=5$ to $x=7$
upward from $x=7$ to $x=9$

d) State the x -coordinate(s) of point(s) of inflection.

- between $x=2$ and $x=3$
between $x=3$ and $x=4$
between $x=5$ and $x=6$
between $x=7$ and $x=8$

e) Assuming $f(0) = 0$, sketch graph of f .

$f'(x)$



L:W.V

Letrice

Wilgens

Vivieno

4.3

#34.

$$f(x) = 2 + 3x - x^3.$$

$$f'(x) = 3 - 3x^2 = 3(1-x)(1+x)$$

$$f''(x) = -6x$$

$$3(1-x)(1+x) = 0.$$

$$\begin{array}{l} 1-x=0 \quad 1+x=0 \\ -x=-1 \quad \underline{x=-1} \\ \underline{x=1} \end{array}$$

$$\begin{aligned} f(1) &= 2 + 3(1) - 1^3 \\ &= 2 + 3 - 1 \\ &= 5 - 1 \\ &= 4. \end{aligned}$$

$$\begin{aligned} f'(1) &= 3 - 3(1)^2 \\ &= 3 - 3 \\ &= 0 \end{aligned}$$

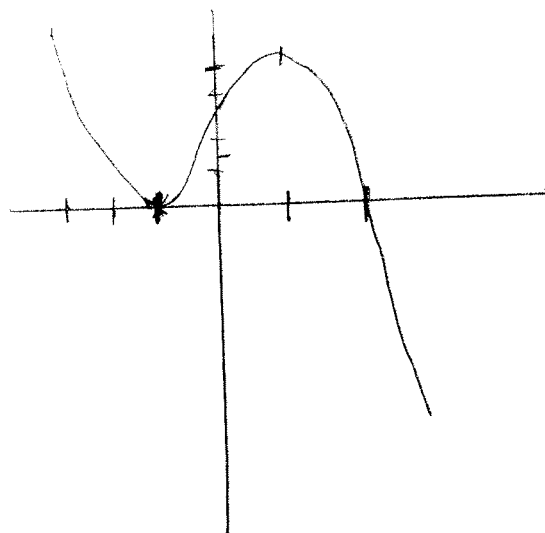
$$\begin{aligned} f'(-1) &= 3 - 3(-1)^2 \\ &= 3 - 3 \\ &= 0 \end{aligned}$$

$$\begin{aligned} f''(-1) &= -6(-1) \\ &= 6 \end{aligned}$$

$$\begin{aligned} f''(1) &= -6(1) \\ &= -6. \end{aligned}$$

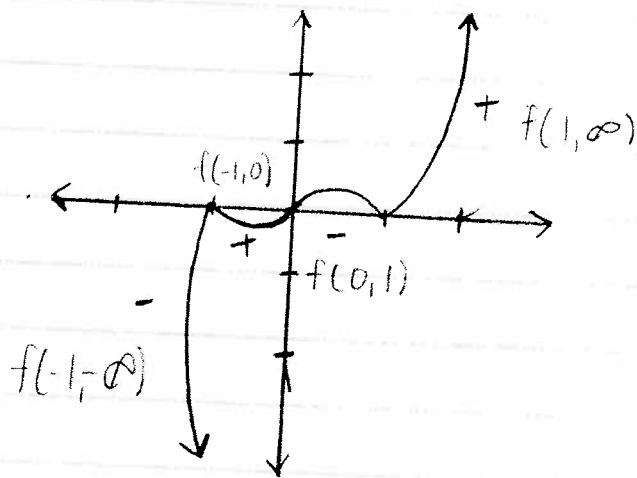
local min = (-1, 0)

local max = (1, 4)



Team Empire Fabian Best

38



$$h(x) = x^5 - 2x^3 + x$$

minimum: $f(-1)$

maximum: $f(1)$

local max: 2844

local min: -2844